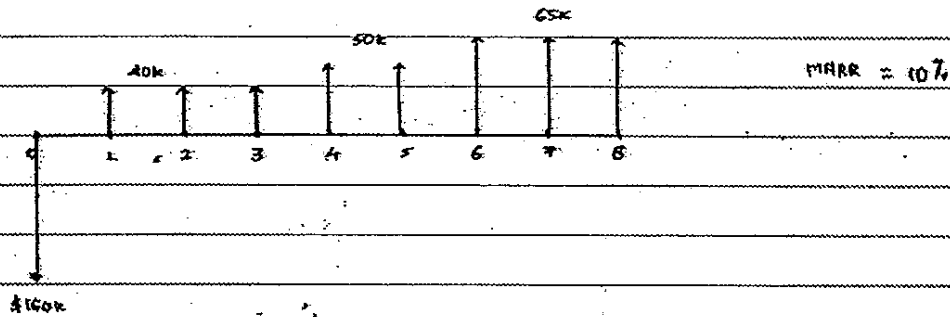


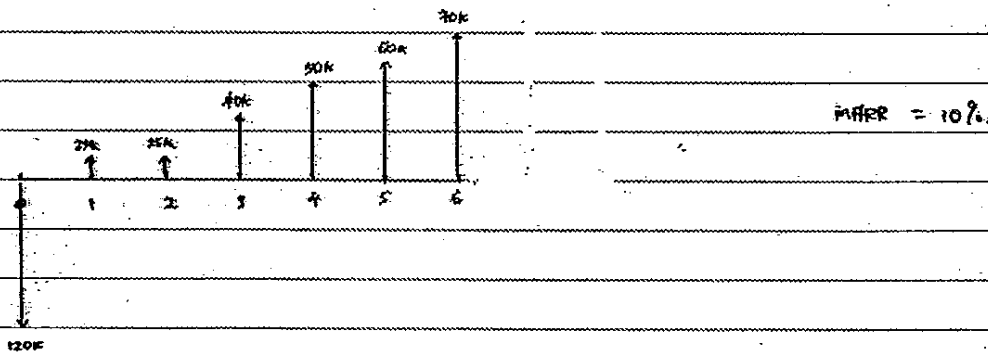
Yes, U Can!

01. (a). Project A :



$$\begin{aligned}
 FW &= -160,000 \cdot (P/F, 10\%, 8) + 40,000 + [10,000 (P/F, 10\%, 2) (P/F, 10\%, 3) \\
 &\quad + 25,000 (P/F, 10\%, 3) (P/F, 10\%, 5)] \cdot (P/F, 10\%, 8) \\
 &= -160,000 (0.18744) + 40,000 + [10,000 (1.7355) (0.9513) + 25,000 (2.4869) (0.6209)] \\
 &\quad (0.18744) \\
 &= \underline{\underline{\$ 19,689}}
 \end{aligned}$$

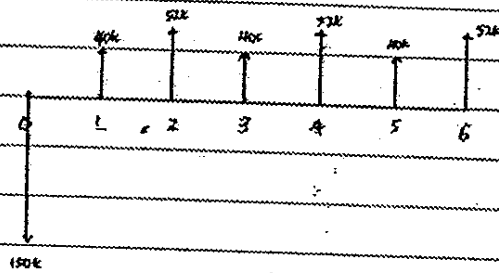
Project B :



$$\begin{aligned}
 FW &= -120,000 (P/F, 10\%, 6) + 25,000 + [15,000 (P/F, 10\%, 4) + 10,000 (P/F, 10\%, 4)] \cdot \\
 &\quad (P/F, 10\%, 2) (P/F, 10\%, 6) \\
 &= -120,000 (0.22961) + 25,000 + [15,000 (3.1699) + 10,000 (4.3781)] (0.8264) (0.22961) \\
 &= \underline{\underline{\$ 14,777}}
 \end{aligned}$$

Yes, U can!

Project C :



$$\begin{aligned} \text{PW} &= -150,000 (P/F, 10\%, 6) + 40,000 + 12,000 (P/F, 10\%, 2) \\ &= -150,000 (0.3296) + 40,000 + 12,000 (0.4762) \\ &= \underline{\$ 11,273} \end{aligned}$$

∴ Based on Annual worth analysis, Project A should be chosen (Highest PW value).

Assumptions for Annual worth Analysis :

- Alternatives repeated for LCM years or more.
- Alternatives repeated over each cycle of LCM.
- Same cash flow estimates in every cycle.

(b). Consider Year 4 as reference year.

For top diagram :

$$\begin{aligned} \text{NPV (Year 4)} &= [100(1.06) + 100] (1.10) + 100 + 100 (P/F, 6\%, 2) + 100 (P/F, 6\%, 4) + 100 (P/F, 6\%, 6) \\ &= 226.6 + 100 + 100 (0.8900) + 100 (0.7921) + 100 (0.7050) \\ &= 565.31 \end{aligned}$$

From bottom diagram :

$$565.31 = x + x (P/F, 6\%, 2)$$

$$565.31 = x + x (0.8900)$$

$$x = \underline{\$ 299.11}$$

Yes, U can!

| 02. | (a), G) | Project A | Project B | A - B |
|-----|---------------|-----------|-----------|-------|
| | First cost | 38,000 | 29,000 | 9,000 |
| | Annual return | 11,000 | 8,000 | 3,000 |
| | Expected life | 5 years | 5 years | |

$$\text{MARR} = 11\%$$

$$\text{Project A: } -38,000 + 11,000(P/A, i^*, 5) = 0$$

$$(P/A, i^*, 5) = 3.455$$

$$i^* = \underline{13.74\%} > \text{MARR} < \text{OK?}$$

$$\text{Project B: } -29,000 + 8,000(P/A, i^*, 5) = 0$$

$$(P/A, i^*, 5) = 3.625$$

$$i^* = \underline{11.77\%} > \text{MARR} < \text{OK?}$$

$$\text{A-B: } -9,000 + 3,000(P/A, i^*, 5) = 0$$

$$(P/A, i^*, 5) = 3.000$$

$$i^* = \underline{19.86\%} > \text{MARR} < \text{Select Project A?}$$

$$\text{CE? } \text{MARR} \Rightarrow 15\%$$

⇒ None of the projects should be selected, as both projects are $> \text{MARR} = 15\%$.

Yes, U can!

(b). Current Assets :

| | |
|---------------------|----------|
| Accounts Receivable | \$ 4000 |
| Inventories | \$ 9000 |
| | \$13,000 |

Fixed Assets :

| | |
|------------------|-----------|
| Plant, Land, Eq. | \$ 77,000 |
| Depreciation | (39,000) |
| | \$38,000 |
| | \$81,000 |

Current Liabilities :

| | |
|------------------|---------|
| Accounts Payable | \$5,000 |
| | \$5,000 |

Long-term Liabilities :

| | |
|----------------|----------|
| Mortgage Bonds | \$ 8,000 |
| | \$8,000 |

Shareholders' Equity :

| | |
|-------------------|-----------|
| Capital | \$ 65,000 |
| Retained Earnings | \$ 9,000 |
| Dividends paid | \$ 6,000 |
| | \$69,000 |
| | \$81,000 |

(c), (d). * Repayment of principal amount and interest for loan :

Income statement : repayment of principal amount of loan is not shown as an expense ; only the interest paid to lender is considered as an expense.

Balance sheet : principal plus interests are liabilities.

* Dividends distributed to shareholders :

Income statement : Dividends distributed to shareholders are excluded.

Balance sheet : Dividends is an item of Shareholders' Equity.

(ii). Net Income of a company can be calculated as :

$$\text{Net Income} = \text{Net sales} - \text{Cost of Goods sold} - \text{Operating Expenses} - \text{other income and Expenses} \pm \text{Extraordinary items}$$

On the other hand where extraordinary activities occur such as earthquake, etc, the loss caused by those activities is considered as extraordinary items. If the value of the extraordinary items are very high, it will result in a negative net income. Negative net income shows that a company records a loss, which will then affect investors' view of the company.

Yes, U can!

| 03. | (a). (i). | Year | Depreciation | Book Value |
|-----|-----------|------|--------------|------------|
| | | 0 | | 250,000 |
| | | 1 | 35,000 | 215,000 |
| | | 2 | 35,000 | 180,000 |
| | | 3 | 35,000 | 145,000 |
| | | 4 | 35,000 | 110,000 |
| | | 5 | 35,000 | 75,000 |
| | | 6 | 35,000 | 40,000 |

| | (ii). | Year | Depreciation | Book Value |
|--|-------|------|--------------|------------|
| | | 0 | | 250,000 |
| | | 1 | 60,000 | 190,000 |
| | | 2 | 50,000 | 140,000 |
| | | 3 | 40,000 | 100,000 |
| | | 4 | 30,000 | 70,000 |
| | | 5 | 20,000 | 50,000 |
| | | 6 | 10,000 | 40,000 |

| | (iii). | Year | Depreciation | Book Value |
|--|--------|------|--------------|------------|
| | | 0 | | 250,000 |
| | | 1 | 63500 | 187,500 |
| | | 2 | 46875 | 140,625 |
| | | 3 | 35156 | 105,469 |
| | | 4 | 26367 | 79,102 |
| | | 5 | 19795 | 59,326 |
| | | 6 | 14832 | 44,495 |

→ loss on disposal = 44,495 - 40,000
= \$4,495

| | (iv). | Year | Depreciation | Book Value |
|--|-------|------|--------------|------------|
| | | 0 | | 250,000 |
| | | 1 | 83,333 | 166,667 |
| | | 2 | 66,666 | 100,000 |
| | | 3 | 37,037 | 62,963 |
| | | 4 | 24,691 | 38,272 |
| | | 5 | 9,383 | 28,889 |
| | | 6 | 0 | 28,889 |

→ $f = \frac{2}{6} = \frac{1}{3} = 0.333$

Yes, U can!

(b). Salvage Value is the expected value of a system at the end of its service life.

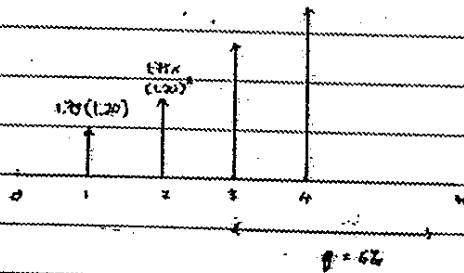
Realizable value is the actual value of a system at the end of its service life.

Both values can be same or can be different. It is said to be the same if there is no loss on the disposal. However, sometimes both values can be different and in such case, there will be loss/gain on disposal.

(c). (i). $P_0 = \$1.75$ $g = 6\%$
 $r = 12\%$

$$P_0 = \frac{P_0(1+g)}{(r-g)} = \frac{1.75(1+0.06)}{(0.12-0.06)} = \underline{\underline{\$30.92}}$$

(ii)



$$P_0 = \frac{1.75(1.20)}{(0.12)} + \frac{(1.75)(1.20)^2}{(0.12)^2} + \frac{(1.75)(1.20)^3 \cdot (1+0.06)}{(0.12-0.06)} \cdot \frac{1}{(1.12)^3}$$
$$= \underline{\underline{\$39.37}}$$

Yes, U can!

04. (a). Initial cost = \$2800k
 Life = 4 years
 SV = \$200k
 Inflation rate = 5%
 Net cash inflow = \$1000k + 600k per year onwards.
 Straight Line Depreciation method.
 Income tax rate = 40%
 MARR = 12%

| Year | PI | NCF (C\$) | NCF (C\$) | Depr. | TI | Tax | NCF aft. tax (C\$) | NCF aft. tax (C\$) |
|------|-------|-----------|-----------|-------|-----|-----|--------------------|--------------------|
| 0 | 100.0 | -2800 | | | | | | -2800 |
| 1 | 105.0 | 1000 | 1050 | 650 | 400 | 160 | 890 | 848 |
| 2 | 110.3 | 1100 | 1213 | 650 | 563 | 225 | 988 | 696 |
| 3 | 115.8 | 1200 | 1389 | 650 | 739 | 296 | 1093 | 945 |
| 4 | 121.6 | 1300 | 1580 | 650 | 930 | 372 | 1208 | 994 |
| SV | | 200 | | | | | | 200 |

Note: * All the amount shown in table are in 1000 or k units.

* Initial cost & SV not affected by the inflation index in the calculation above because not influenced by depr.

$$\begin{aligned}
 NPV &= -2800 + 848 (P/F, 12\%, 1) + 696 (P/F, 12\%, 2) + 945 (P/F, 12\%, 3) + \\
 &\quad (994 + 200) (P/F, 12\%, 4) \\
 &= -2800 + 848 (0.8929) + 696 (0.7972) + 945 (0.7118) + (994 + 200) (0.6355) \\
 &= \underline{\underline{\$102.9k}} > 0
 \end{aligned}$$

∴ The investment is attractive.

$$(b) CR_n = 400,000 (F/P, 12\%, n) - S_n (F/P, 12\%, n)$$

$$CR_1 = 400,000 (F/P, 12\%, 1) - 320,000 (F/P, 12\%, 1) = 128,000$$

$$CR_2 = 400,000 (F/P, 12\%, 2) - 275,000 (F/P, 12\%, 2) = 106,963$$

$$CR_3 = 400,000 (F/P, 12\%, 3) - 245,000 (F/P, 12\%, 3) = 93,934$$

$$CR_4 = 400,000 (F/P, 12\%, 4) - 200,000 (F/P, 12\%, 4) = 89,846$$

$$CR_5 = 400,000 (F/P, 12\%, 5) - 175,000 (F/P, 12\%, 5) = 83,417$$

Yes, U can!

$$EUOM_n = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, n \right)$$

$$EUOM_1 = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, 1 \right) = 160,000$$

$$EUOM_2 = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, 2 \right) = 169,434$$

$$EUOM_3 = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, 3 \right) = 178,492$$

$$EUOM_4 = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, 4 \right) = 187,178$$

$$EUOM_5 = 160,000 + 20,000 \left(\frac{P}{G}, 12\%, 5 \right) = 195,492$$

$$EUAC_n = CR_n + EUOM_n$$

$$EUAC_1 = 288,000$$

$$EUAC_2 = 276,397$$

$$EUAC_3 = 272,426$$

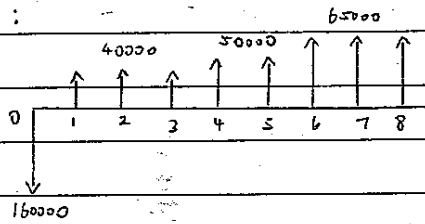
$$EUAC_4 = 277,024$$

$$EUAC_5 = 278,909$$

∴ The Economic life of the system = 3 years.

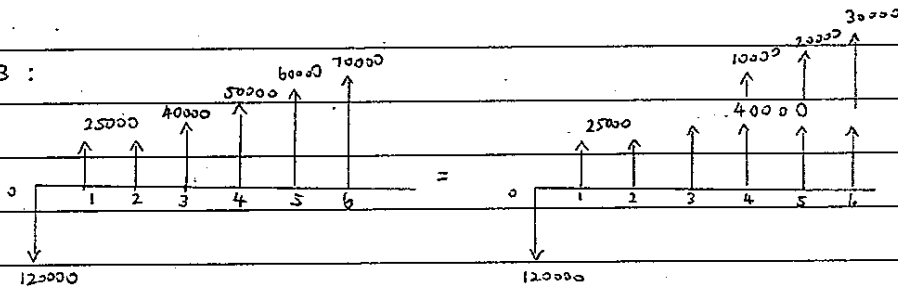
The annual cost = \$272,426.

1(a) Project A:



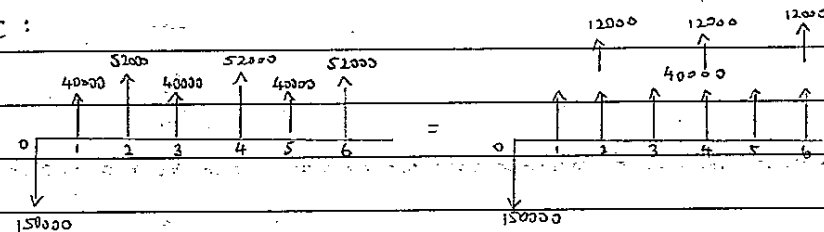
$$\begin{aligned}
 AW &= -160000 \left(\frac{A}{P}, 10, 8\right) + 40000 \left(\frac{P}{A}, 10, 3\right) \left(\frac{A}{P}, 10, 8\right) + 50000 \left(\frac{P}{A}, 10, 2\right) \left(\frac{P}{F}, 10, 3\right) \left(\frac{A}{P}, 10, 8\right) \\
 &\quad + 65000 \left(\frac{P}{A}, 10, 3\right) \left(\frac{A}{F}, 10, 8\right) \\
 &= -160000 (0.18744) + 40000 (2.4869)(0.18744) + 50000 (1.7355)(0.7513)(0.18744) \\
 &\quad + 65000 (3.31)(0.08744) \\
 &= -29990.4 + 18645.78 + 12219.94 + 18812.72 = 19688
 \end{aligned}$$

Project B:



$$\begin{aligned}
 AW &= -120000 \left(\frac{A}{P}, 10, 6\right) + 25000 \left(\frac{P}{A}, 10, 2\right) \left(\frac{A}{P}, 10, 6\right) + 40000 \left(\frac{P}{A}, 10, 4\right) \left(\frac{A}{F}, 10, 6\right) \\
 &\quad + 10000 \left(\frac{P}{F}, 10, 4\right) \left(\frac{P}{F}, 10, 2\right) \left(\frac{A}{P}, 10, 6\right) \\
 &= -120000 (0.22961) + 25000 (1.7355)(0.22961) + 40000 (4.641)(0.12961) \\
 &\quad + 10000 (4.3781)(0.8264)(0.22961) \\
 &= -27553.2 + 9962.2 + 24060.8 + 8307.4 = 14777
 \end{aligned}$$

Project C:



$$\begin{aligned}
 AW &= -150000 \left(\frac{A}{P}, 10, 6\right) + 40000 + 12000 \left(\frac{P}{F}, 10, 2\right) \left(\frac{A}{P}, 10, 6\right) + 12000 \left(\frac{P}{F}, 10, 4\right) \left(\frac{A}{P}, 10, 6\right) \\
 &\quad + 12000 \left(\frac{A}{F}, 10, 6\right) \\
 &= -150000 (0.22961) + 40000 + 12000 (0.8264)(0.22961) + 12000 (0.683)(0.22961) \\
 &\quad + 12000 (0.12961) \\
 &= -34441.5 + 40000 + 2277 + 1882 + 1555.3 = 11273
 \end{aligned}$$

→ ∴ Project A should be chosen



Assumptions for AW analysis: Alternatives needed for LCM years or more

Alternatives repeated over each cycle of LCM

Same cash flow estimates in every cycle

(b) Set year 4 as base year

For years 4-7, $i = 6 \times 2 = 12\%$, $m = 2$

$$\text{Effective } i/r = \left(1 + \frac{0.12}{2}\right)^2 - 1 = 0.1236 = 12.36\%$$

$$\frac{P}{A} = \frac{(1+i)^n - 1}{i(1+i)^n}$$

$$P = 100 \left(\frac{F}{A}, 6, 2\right) \left(\frac{F}{P}, 10, 1\right) + 100 + 100 \left(\frac{P}{A}, 12.36, 3\right)$$

$$= 100 (2.06)(1.1) + 100 + 100 \frac{(1+0.1236)^3 - 1}{(0.1236)(1.1236)^3}$$

$$= 226.6 + 100 + 238.71$$

$$= 565.31$$

$$P = x + x \left(\frac{P}{F}, 12.36, 1\right)$$

$$\frac{P}{F} = \frac{i}{(1+i)^n}$$

$$= x + \frac{x}{1.1236} = 1.89x$$

$$1.89x = 565.31 \rightarrow x = \$299.11$$



2

(2)(i) MARR = 11%

Revenue \rightarrow \therefore DN alternative required

- Arrange alternatives in ascending order of first cost

Compare DN with B (B-DN)

First Cost 29000

Annual return 8000

 \rightarrow ROR eqn: $-29000 + 8000 \left(\frac{P}{A}, i, 5\right) = 0$ $\left(\frac{P}{A}, i, 5\right) = 3.625 \rightarrow i = 11.77\% > \text{MARR} \therefore$ reject DN alternative

Compare B with A (A-B)

First Cost $38000 - 29000 = 9000$ Annual return $11000 - 8000 = 3000$ \rightarrow ROR eqn: $-9000 + 3000 \left(\frac{P}{A}, i, 5\right) = 0$ $\left(\frac{P}{A}, i, 5\right) = 3 \rightarrow i = 19.86\% > \text{MARR} \therefore$ reject B \therefore A is the best investment alternative.

(ii) If MARR = 15%, B will be rejected when compared with DN

Compare DN with A (A-DN)

First Cost 38000

Annual return 11000

 \rightarrow ROR eqn: $-38000 + 11000 \left(\frac{P}{A}, i, 5\right) = 0$ $\left(\frac{P}{A}, i, 5\right) = 3.455 \rightarrow i = 13.74\% < \text{MARR} \therefore$ reject A \therefore DN alternative is chosen instead

| | | Date | No. |
|-----|---------------------------------|------|------------------------|
| (b) | Current Assets | | Current Liabilities |
| | Inventories 9000 | | Accounts payable 5000 |
| | Accounts receivable 4000 | | |
| | 13000 | | Long term liabilities |
| | | | Long term debt 8000 |
| | Fixed Assets | | |
| | Plant, Land, Equipment 77000 | | Share holders' Equity |
| | Accumulated Depreciation (9000) | | Capital 65000 |
| | 68000 | | Retained Earnings 9000 |
| | 13000 + 68000 | | Dividends (6000) |
| | = 81000 | | 68000 |
| | | | 5000 + 8000 + 68000 |
| | | | = 81000 |

(c)(i) Balance sheet : Repayment of principal amount and interest for loan are both taken into consideration
 (Current liabilities - accounts payable / accrued expenses, Long term liabilities - long term debt)
 Income statement : Only interest for loan taken into consideration
 (Other income and expenses - interest expense)

Balance sheet : Dividends distributed to shareholders taken into consideration
 (shareholders' equity - dividends)
 Income statement : Dividends not taken into consideration

(ii) Net income = Operating income - other income and expenses - extraordinary items
 If the extraordinary item is significant enough, it could contribute to a large proportion of the net income.
 An investor could make a wrong decision investing into a company with a large net income but when in fact, the company has been making losses despite winning a court case awarding damages.



3(a)(i) Straight line method :

$$Dr = \frac{250000 - 40000}{6} = 35000$$

| year | Dr | BV |
|------|-------|--------|
| 0 | | 250000 |
| 1 | 35000 | 215000 |
| 2 | 35000 | 180000 |
| 3 | 35000 | 145000 |
| 4 | 35000 | 110000 |
| 5 | 35000 | 75000 |
| 6 | 35000 | 40000 |

(ii) SOYD method :

$$SOYD = \frac{6(6+1)}{2} = 21$$

$$D_1 = \frac{6}{21} (250000 - 40000) = 60000$$

$$D_2 = \frac{5}{21} (250000 - 40000) = 50000$$

$$D_3 = \frac{4}{21} (250000 - 40000) = 40000$$

$$D_4 = \frac{3}{21} (250000 - 40000) = 30000$$

$$D_5 = \frac{2}{21} (250000 - 40000) = 20000$$

$$D_6 = \frac{1}{21} (250000 - 40000) = 10000$$

| year | Dr | BV |
|------|-------|--------|
| 0 | | 250000 |
| 1 | 60000 | 190000 |
| 2 | 50000 | 140000 |
| 3 | 40000 | 100000 |
| 4 | 30000 | 70000 |
| 5 | 20000 | 50000 |
| 6 | 10000 | 40000 |

(iii) Declining balance method :

| year | Dr | BV |
|------|---------------------------------|-----------|
| 0 | | 250000 |
| 1 | 0.25×250000 = 62500 | 187500 |
| 2 | 0.25×187500 = 46875 | 140625 |
| 3 | 35156.25 | 105468.75 |
| 4 | 26367.19 | 79101.56 |
| 5 | 19775.4 | 59326.17 |
| 6 | 14831.54 | 44494.63 |

BV > SV \therefore There is a loss on disposal

$$\text{Loss on disposal} = 44494.63 - 40000 = \$4494.63$$



(iv) Double rate Declining-Balance method :

$$f = \frac{2}{6} = \frac{1}{3}$$

year : Dr BV

0 250000

1 $\frac{1}{3} \times 250000 = 83333.33$ 166666.672 $\frac{1}{3} \times 166666.67 = 55555.56$ 111111.11

3 37037.037 74074.074

4 24691.36 49382.72

5 9382.72 40000

6 0 40000

(b) Salvage value is the amount received when the good is sold.

Net Realisable value is the amount received when the good is sold, after taking into account other amounts payable, like commissions or tax.

No, they are not always the same.

(c)(i) $D_0 = 1.75$ $K = 0.12$

$$g = 0.06$$

$$P_0 = \frac{1.75(1+0.06)}{0.12-0.06} = \$30.92$$

(ii) $D_0 = 1.75$ $K = 0.12$

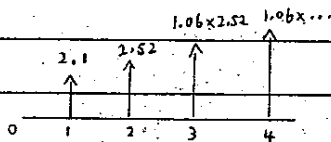
$$D_1 = 1.2 \times 1.75 = 2.1$$

$$D_2 = 1.2 \times 2.1 = 2.52$$

$$P_0 = 2.1 \left(\frac{P}{F}, 12, 1 \right) + 2.52 \left(\frac{P}{F}, 12, 2 \right) + \frac{2.52(1+0.06)}{0.12-0.06} \left(\frac{P}{F}, 12, 2 \right)$$

$$= 2.1(0.8929) + 2.52(0.7972) + 44.52(0.7972)$$

$$= \$39.38$$



Date _____ No. _____

4 (a) Straight line depreciation $\rightarrow D_r = \frac{2800000 - 200000}{5} = 520000$

| year | PI | N _{bz} | N _{bc} | D _r | T _{lc} | Tax | N _{ac} | N _{az} |
|------|-----|-----------------|--|----------------|-----------------------------|--------------------------------|-----------------------------|--|
| 0 | 100 | -2800000 | -2800000 | | | | -2800000 | -2800000 |
| 1 | 105 | 1000000 | $1000000 \times \frac{105}{100} = 1050000$ | 520000 | $1050000 - 520000 = 530000$ | $-0.4 \times 530000 = -212000$ | $1050000 - 212000 = 838000$ | $838000 \times \frac{105}{100} = 879900$ |
| 2 | 110 | 1100000 | 1210000 | 520000 | 690000 | -276000 | 934000 | 849090.91 |
| 3 | 115 | 1200000 | 1380000 | 520000 | 860000 | -344000 | 1036000 | 900869.57 |
| 4 | 120 | 1300000 | 1560000 | 520000 | 1040000 | -416000 | 1144000 | 953333.33 |
| SV | | 200000 | | | | | | 200000 |

MARR = 12%

$$NPV = -2800000 + 798095 \left(\frac{P}{F}, 12, 1\right) + 849090.91 \left(\frac{P}{F}, 12, 2\right) + 900869.57 \left(\frac{P}{F}, 12, 3\right) + (953333.33 + 200000) \left(\frac{P}{F}, 12, 4\right)$$

$$= -2800000 + 798095 (0.8929) + 849090.91 (0.7972) + 900869.57 (0.7118) + 1153333.33 (0.6355)$$

$$= -36303.41 < 0$$

\therefore The investment is not feasible

(b) $(CR)_n = 400000 \left(\frac{A}{P}, 12, n\right) - S_n \left(\frac{A}{P}, 12, n\right)$

$$CR_1 = 400000 \left(\frac{A}{P}, 12, 1\right) - 320000 \left(\frac{A}{P}, 12, 1\right) = 400000 (1.12) - 320000 (1) = 128000$$

$$CR_2 = 400000 \left(\frac{A}{P}, 12, 2\right) - 270000 \left(\frac{A}{P}, 12, 2\right) = 400000 (0.5917) - 270000 (0.4717) = 109321$$

$$CR_3 = 400000 \left(\frac{A}{P}, 12, 3\right) - 245000 \left(\frac{A}{P}, 12, 3\right) = 400000 (0.41635) - 245000 (0.29635) = 93934.25$$

$$CR_4 = 400000 \left(\frac{A}{P}, 12, 4\right) - 200000 \left(\frac{A}{P}, 12, 4\right) = 400000 (0.32923) - 200000 (0.20923) = 89846$$

$$CR_5 = 400000 \left(\frac{A}{P}, 12, 5\right) - 175000 \left(\frac{A}{P}, 12, 5\right) = 400000 (0.27741) - 175000 (0.15741) = 83417.25$$

$$(EUOM)_n = 160000 + 20000 \left(\frac{A}{P}, 12, n\right)$$

$$EUOM_1 = 160000$$

$$EUOM_2 = 160000 + 20000 (0.4717) = 169434$$

$$EUOM_3 = 160000 + 20000 (0.4246) = 178442$$

$$EUOM_4 = 160000 + 20000 (1.3589) = 187178$$

$$EUOM_5 = 160000 + 20000 (1.7746) = 195492$$



$$EUAC = CR + EUOM$$

year EUAC

1 $128000 + 160000 = 288000$

2 $109321 + 169434 = 278755$

3 $93934.25 + 178492 = 272426.25$

4 $89846 + 187178 = 277024$

5 $83417.25 + 195492 = 278909.25$

\therefore economic life = 3 years , EUAC = \$272426.25

