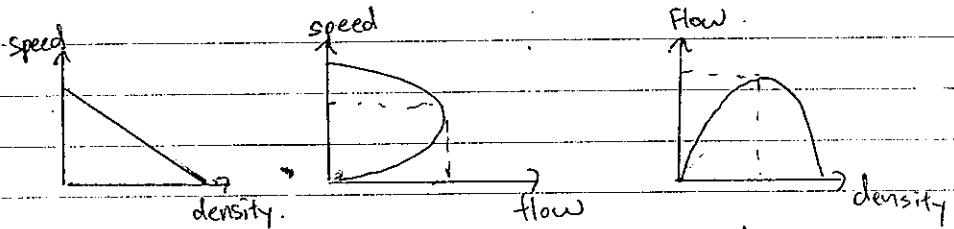


Yes, U Can!

CV3014 2013-2014 sem1

1a. Greenshield's Model.

- $K=0, V=A$. A is the maximum or free-flow speed.
- $V=0, K=A/B$, which is jam density.
- maximum flow occurs at half the mean free speed.
- satisfies all 4 boundary conditions.
- poor statistical fit with real data.



Greenberg's Model.

- involves only 1 parameter, needs only 1 data point for calibration.
- better fit compared to Greenshield's.
- However, zero density at infinite speed.

$$v_s = C \ln \left(\frac{K_j + d}{K + d} \right)$$

1b. user equilibrium: the travel time between a specified origin and destination on all used routes is equal.

System optimal: The speed of car which let the most amount of car pass by, i.e. maximum density.

user equilibrium used when individual plan for travel, system optimal used when authority plan.

- 1c.
- The R value must be close to 1.
 - T value as big as possible.
 - E to be small.
 - Y to X correlation to be high.
 - correlation between X to be low.

Yes, U can!

2.

$$\text{Passenger bus} = \frac{e^{-0.8t-1}}{e^{-0.8t-1} + e^{-0.8t}} \times 4000$$
$$= 1076 \text{ pax.}$$

$$q_{\text{car}} = 4000 - 1076 = 2924.$$

$$t = 9 + (2924 + 100) / 250$$
$$= 21 \text{ min.}$$

$$\text{passenger car} = \frac{e^{-0.8(9 + q_{\text{car}}/400)} - 1}{e^{-0.8(9 + q_{\text{car}}/400)} - 1 + e^{-0.8(15)}}$$

3 a) Link 1 = 1. $t_1 = 24 + 2(1) = 26$. $t_1 = t_4$.

$$x_2 + x_3 = x_4.$$

$$t_2 = t_3.$$

$$12 + 2x_2 = 10 + x_3.$$

$$x_3 = 2 + 2x_2.$$

$$x_2 = \frac{x_3 - 2}{2} \quad \text{--- (1)}$$

$$x_2 + 2 + 2x_2 = x_4.$$

$$x_3 + \frac{x_3 - 2}{2} = x_4.$$

$$3x_2 + 2 = x_4.$$

$$t_2 + t_4 = t_1.$$

$$12 + 2x_2 + 9 + 3x_2 + 2 = 26$$

$$22 + 5x_2 = 26$$

$$x_2 = 0.8$$

$$x_3 = 3.6$$

$$x_4 = 4.2$$

$$\text{total} = 5.5$$

b). Link 1 will be 0.

$$D = x_4; \quad x_4 = 10 - 0.3t; \quad t = t_2 + t_4 \text{ or } t = t_3 + t_4.$$

$$t_2 + t_4 = 22 + 5x_2; \quad x_4 = 3x_2 + 2.$$

$$3x_2 + 2 = 10 - 0.3(22 + 5x_2)$$

$$x_2 = 0.311$$

$$x_3 = 2.632$$

$$x_4 = 2.94$$

$$t = 23.55 < 24 (\text{t of lane 1}).$$

Yes, U Can!

a) i) $\tan^{-1}\left(\frac{12}{120}\right) = 5.7^\circ$

$$S = vtr + \frac{v^2}{2g(f \pm e)}$$

$$S = 15(2.5) + \frac{15^2}{2 \times 9.81(0.35 - 0.057)} = 76.6 \text{ m}$$

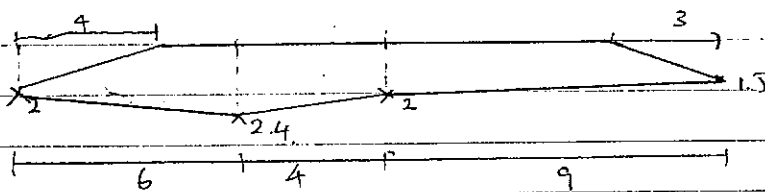
assume $S \leq L$

$$L_{\min} = \frac{5.7 \times 70.8^2}{200(\sqrt{1.05} + \sqrt{1.15})^2} = 84 < 120 \therefore \text{OK}$$

ii) comfort: increase L.
Appearance criteria: increase L.

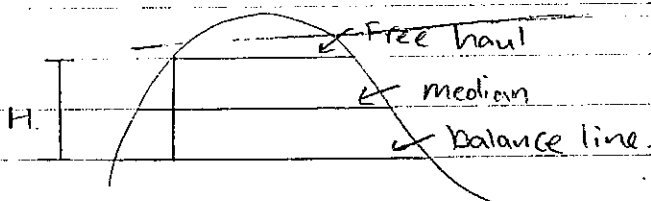
b) $R = \frac{v^2}{127(f \pm e)} = \frac{70^2}{127(0.11 + 0.05)} = 241 > 200 \therefore \text{Not OK}$

- reduce speed
- increase R.
- increase elevation.



$$6 \times \left(\frac{2+2.4}{2}\right) + 4 \times \left(\frac{2+2.4}{2}\right) + 9 \times \left(\frac{1.5+2}{2}\right) - 0.5 \times 4 \times 2 - 0.5 \times 3 \times 1.5 = 31.5 \text{ m}^3 \text{ (Fill)}$$

Free haul: distance travel free of charge to remove excavated material
overhaul: distance outside free-haul.



$$\text{overhaul} = \text{median} \times H$$

Yes, U Can!

$$\text{ba) ESAL/day} = 900 \times 0.45 + 350 \times 0.8 + 160 \times 1.25 + 200 \times 2 \\ = 1285$$

$$\text{ESAL/year} = 1285 \times 365 \\ = 469025$$

$$E_g = \frac{(1+g)^n}{g} = \frac{(1+0.02)^{20}}{0.02} = 74.3$$

$$\text{Design ESAL} = 74.3 \times 469025 = 34.8 \text{ mil ESAL}$$

b) 1. Curling stress.

- Results from temp differential across thickness of slab.
- Daytime Top expands, tendency to hog
- Night time, tendency to dish.
- Tendency to curl is resisted by load-trailer devices/friction at joints and dead weight of slab \rightarrow curling stress.
- Control measure: warping joint designed to permit angular rotation along joints but tied together.

2. Temperature - friction stress.

- stress arising from expansion or contraction of slab.
- when slab heats-up \rightarrow expansion, if inadequate gap, 'blow ups'
- when slab cools \rightarrow contraction restrained by slab-foundation friction, tensile stress lead to crack in mid-span.
- control measures: steel reinforcement.